References

[AG] D. Arinkin and D. Gaitsgory, *Singular support of coherent sheaves, and the geometric Langlands conjecture*, Selecta Math. N.S. **21** (2015), 1–199.

[BarS] C. Barwick and C. Shommers-Pries, *On the unicity of homotopy theory of higher categories*, arXiv: 1112.0040.

[BB] A. Beilinson and J. Bernstein, *A proof of Jantzen's conjectures*, Advances in Soviet Mathematics **16**, Part I (1993), 1–50.

[BD] A. Beilinson and V. Drinfeld, *Quantization of Hitchin?s integrable system and Hecke eigensheaves*, available at http://www.math.harvard.edu/∼gaitsgde/grad_2009/.

[Bez] R. Bezrukavnikov, *On two geometric realizations of the affine Hecke algebra*, arXiv:1209.0403.

[BFN] D. Benzvi, J. Francis and D. Nadler, *Integral transforms and Drinfeld centers in derived algebraic geometry*, J. Amer. Math. Soc. **23** (2010), no. 4, 909–966.

[Bezr] R. Bezrukavnikov, *On two geometric realizations of the affine Hecke algebra*, arXiv:1209.0403.

[BoV] J. M. Boardman and J. M. Vogt *Homotopy Invariant Structures on Topological Spaces*, Lecture Notes in Mathematics **347**, Springer-Verlag, Berlin and New York (1973).

[De] P. Deligne, *Catégories tannakiennes*, in: "The Grothendieck Festschrift", Vol. II, 111–195, Progr. Math. **87**, Birkhäuser Boston, Boston, MA, 1990.

[Dr] V. Drinfeld, *DG Quotients of DG Categories*, J. Algebra **272** (2004), no. 2, 643–691.

[DrGa1] V. Drinfeld and D. Gaitsgory, *On some finiteness questions for algebraic stacks*, GAFA **23** (2013), 149–294.

[DrGa2] V. Drinfeld and D. Gaitsgory, *Compact generation of the category of D-modules on the stack of G-bundles on a curve*, joint with V. Drinfeld, arXiv:1112.2402, Cambridge Math Journal, **3** (2015), 19–125.

[Fra] J. Francis, *The tangent complex and Hochschild cohomology of E_n-rings*, Compos. Math. **149** (2013), no. 3, 430–480.

[FraG] J. Francis and D. Gaitsgory, *Chiral Koszul duality*, Selecta Math. (N.S.) **18** (2012), 27–87.

[FG] E. Frenkel and D. Gaitsgory, *D-modules on the affine flag variety and representations of affine Kac-Moody algebras*, Represent. Theory **13** (2009), 470–608.

[Ga1] D. Gaitsgory, *Ind-coherent sheaves*, arXiv:1105.4857.

[Ga2] D. Gaitsgory, *The Atiyah-Bott formula for the cohomology of the moduli space of bundles on a curve*, arXiv: 1505.02331.

[Ga3] D. Gaitsgory, *Sheaves of categories and the notion of 1-affineness*, Contemporary Mathematics **643** (2015), 1–99.

[Ga4] Notes on Geometric Langlands, *Generalities on DG categories*, available at http://www.math.harvard.edu/∼gaitsgde/GL/.

[GaRo1] D. Gaitsgory and N. Rozenblyum, *DG indschemes*, Contemporary Mathematics **610** (2014), 139–251.

[GaRo2] D. Gaitsgory and N. Rozenblyum, *D-modules and crystals*, PAMQ **10**, no. 1 (2014), 57–155.

[Jo] A. Joyal, *Quasi-categories and Kan complexes*, (in Special volume celebrating the 70th birthday of Prof. Max Kelly) J. Pure Appl. Algebra **175** (2002), no. 1-3, 207–222.

[Kr] H. Krause, *The stable derived category of a Noetherian scheme*, Compos. Math., **141**(5) (2005), 1128–1162.

[LM] G. Laumon, L. Morret-Baily, *Champs algébriques*, Ergebnisse der Mathematik und ihrer Grenzgebiete (3 Folge, A Series of Modern Surveys in Mathematics), **39**, Springer-Verlag, Berlin, 2000.

[May] P. May, *The geometry of iterated loop spaces*, Lecture Notes in Mathematics **271**, Springer-Verlag, Berlin and New York (1972).

[LZ1] Y. Liu and W. Zheng, *Enhanced six operations and base change theorem for Artin stacks*, arXiv: 1211.5948.

[LZ2] Y. Liu and W. Zheng, *Gluing restricted nerves of infinity categories*, arXiv: 1211.5294..

[Lu1] J. Lurie, *Higher Topos Theory*, Annals of Mathematics Studies, **170**, Princeton University Press, Princeton, NJ, 2009.

[Lu2] J. Lurie, *Higher Algebra*, available at http://www.math.harvard.edu/∼lurie.

[Lu3] J. Lurie, $(\infty, 2)$*-categories and Goodwillie calculus-I*, available at http://www.math.harvard.edu/∼lurie.

[Lu4] J. Lurie, *DAG-VII, Spectral schemes*, available at http://www.math.harvard.edu/∼lurie.

[Lu5] J. Lurie, *DAG-VIII*, available at http://www.math.harvard.edu/∼lurie.

[Lu6] J. Lurie, *DAG-X*, available at http://www.math.harvard.edu/∼lurie.

[Ne] A. Neeman, *The Grothendieck duality theorem via Bousfield techniques and Brown representability*, J. Amer. Math. Soc. **9** (1996), no. 1, 205–236.

[Rezk] C. Rezk, *A model for the homotopy theory of homotopy theory*, Trans. Amer. Math. Soc. **353** (2001), no. 3, 973–1007.

[Seg] G. Segal, *Categories and cohomology theories*, Topology **13**, (1974), 293–312.
[Sim] C. Simpson, *Algebraic (geometric) n-stacks*, arXiv: 9609014.
[To] B. Toen, *Descente fidèlement plate pour les n-champs d'Artin*.
[TV1] B. Toen and G. Vezzosi, *Homotopical Algebraic Geometry-I*.
[TV2] B. Toen and G. Vezzosi, *Homotopical Algebraic Geometry-II*.
[TT] R. Thomason and T. Trobaugh, *Higher algebraic K -theory of schemes and of derived categories*, The Grothendieck Festschrift, Vol. III, 247–435, Progr. Math., **88** (1990).